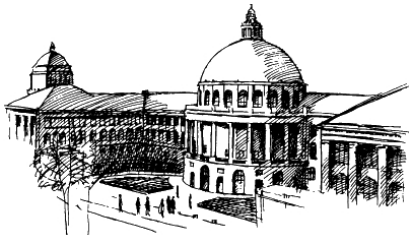


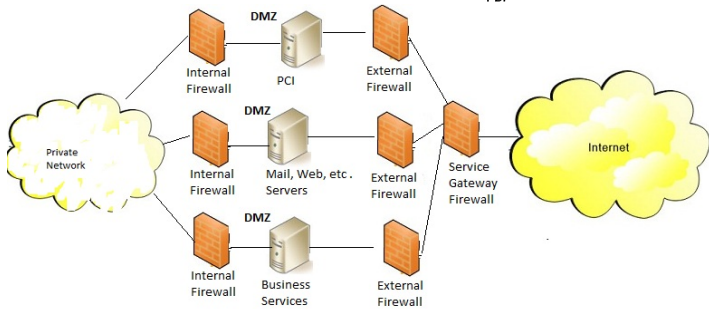
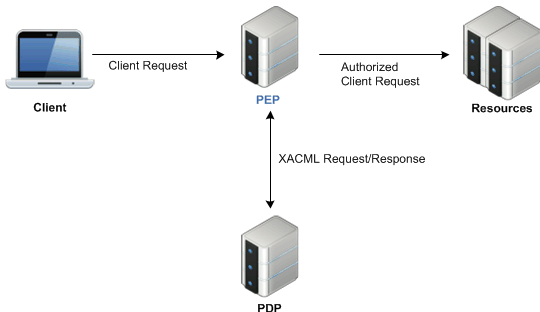
Enforceable Security Policies

David Basin
ETH Zurich



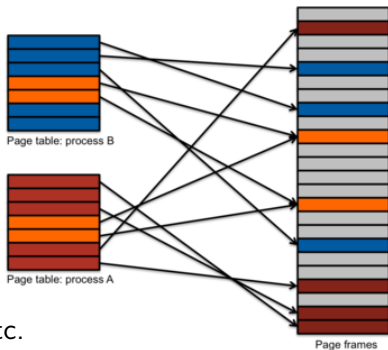
Joint work with Vincent Jugé, Felix Klaedtke and Eugen Zălinescu

Policy Enforcement Mechanisms are Omnipresent



Enforcing Policies at all Hardware/Software Layers

- ▶ Memory management hardware
- ▶ Operating systems and file systems
- ▶ Middleware and application servers
- ▶ Network traffic: firewalls and VPNs
- ▶ Applications: databases, mail servers, etc.



Policies Come in all Shapes and Sizes



History-based Access Control



Chinese
Wall

Information
Flow



Separation of Duty



Business
Regulations

Data Usage

Privacy



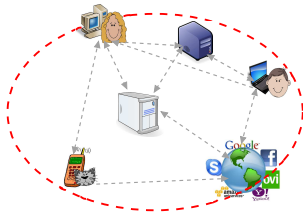
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So Which Policies can be Enforced?



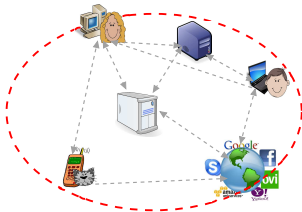
Examples

AC / General



- ▶ Only **Alice** may update **customer data**.
- ▶ **Employees** may overspend their **budget** by 50% provided they previously received **managerial approval**.
- ▶ **Bob** may make up to most 5 copies of **movie XYZ**.

Examples AC / General



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 - ▶ **Employees** may overspend their **budget** by 50% provided they previously received **managerial approval**.
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-
- ▶ A **login** must not happen within 3 seconds after a **fail**
 - ▶ Each **request** must be followed by a **deliver** within 3 seconds

Relevance of Research Question



- ▶ Fundamental question about **mechanism design**.
 - * **Focus:** conventional mechanisms that operate by **monitoring execution** and **preventing** actions that violate policy.
 - * Given **omnipresence of such mechanisms** and **diversity of policies** it is natural to ask: **which policies can be enforced?**
- ▶ Enforce versus monitor
 - * Enforcement often combined with system monitoring.
 - * Why do both? Defense in depth? Accountability? Something deeper?
- ▶ Fun problem. Nice example of applied theory.
 - * Temporal reasoning, logic, formal languages, complexity theory

Enforcement by Execution Monitoring

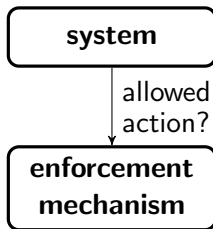


Enforceable Security Policies

Fred B. Schneider, ACM Trans. Inf. Syst. Sec., 2000

Abstract Setting

- ▶ System iteratively executes actions
- ▶ Enforcement mechanism intercepts them (prior to their execution)
- ▶ Enforcement mechanism terminates system in case of violation



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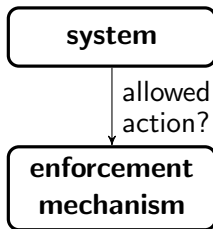


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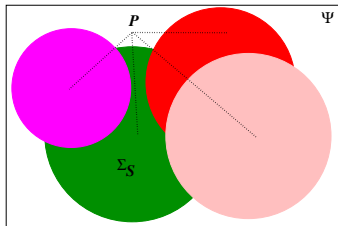
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So which policies are enforceable?

Characterizing EM enforceability — formal setup

- ▶ Let Ψ denote universe of all possible finite/infinite sequences.
 - * Represents executions at some abstraction level.
 - * E.g., sequences of actions, program states, state/action pairs, ...
 - * **Example:** **request** · **tick** · **deliver** · **tick** · **tick** · **request** · **deliver** · **tick** ...
- ▶ A **security policy** P is specified as a predicate on **sets** of executions, i.e., it characterizes a **subset of** 2^Ψ .
- ▶ A system S defines a set $\Sigma_S \subseteq \Psi$ of actual executions.
- ▶ S **satisfies** P iff $\Sigma_S \in P$.



Characterizing EM enforceability: trace properties

- ▶ EMs work by monitoring target execution. So any enforceable policy P must be specified so that

$$\Pi \in P \iff \forall \sigma \in \Pi. \sigma \in \hat{P}.$$

\hat{P} formalizes criteria used by EM to decide whether a trace σ is acceptable, i.e., whether or not to abort (“execution cutting”).

- ▶ Hence **Requirement 1**: P must be a **property** formalizable in terms of a predicate \hat{P} on executions.

A set is a **property** iff set membership is determined by each element alone and not by other elements of the set.

- ▶ Contrast: properties of **behaviors** vs. properties of **sets of behaviors**.
 - * “Average response time, over all executions, should be $\leq 10\text{ms}$.”
 - * “Actions of high users have no effect on observations of low users.”

Characterization (cont.)

- ▶ Mechanism cannot decide based on possible future execution.

tick · tick · **BadThing** · tick · tick · **GreatThing** · tick ...

↑ ???

- ▶ Consequence: $(\text{Recall } \Pi \in P \Leftrightarrow \forall \sigma \in \Pi. \sigma \in \hat{P})$
 - * Suppose σ' is a prefix of σ , such that $\sigma' \notin \hat{P}$, and $\sigma \in \hat{P}$.
 - * Then policy P is not enforceable since we do not know whether system terminates before σ' is extended to σ .
- ▶ **Requirement 2**, above, is called **prefix closure**.
 - * If a trace is not in \hat{P} , then the same holds for all extensions.
 - * Conversely if a trace is in \hat{P} , so are all its prefixes.
- ▶ Moreover, **Requirement 3, finite refutability**: If a trace is not in \hat{P} , we must detect this based on some finite prefix.

Characterization (cont.)

- ▶ Let $\tau \leq \sigma$ if τ is a **finite prefix** of σ .

- ▶ **Requirement 2:** prefix closure.

$$\forall \sigma \in \Psi. \sigma \in \hat{P} \rightarrow (\forall \tau \leq \sigma. \tau \in \hat{P})$$

- ▶ **Requirement 3:** finite refutability.

$$\forall \sigma \in \Psi. \sigma \notin \hat{P} \rightarrow (\exists \tau \leq \sigma. \tau \notin \hat{P})$$

- ▶ Sets satisfying all three requirements are called **safety properties**.

Safety properties — remarks

- ▶ **Safety properties** are a class of trace properties.
Essentially they state that **nothing bad ever happens**.
- ▶ **Finite refutability** means if bad thing occurs, this happens after finitely many steps and we can immediately observe the violation.
- ▶ **Examples**
 - * Reactor temperature never exceeds 1000° C.
 - * If the key is not in the ignition position, the car will not start.
 - * You may play a movie at most three times after paying for it.
 - * Any history-based policy depending on the present and past.
- ▶ **Nonexample** (liveness): If the key is in the ignition position, the car will start eventually.

Why?

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 - * Any history-based policy depending on the present and past.
- ▶ **Nonexample** (liveness): If the key is in the ignition position, the car will start eventually.
Why? This cannot be refuted on any finite execution.

Consequences

- ▶ If set of executions for a security policy P is not a safety property, then no EM enforcement mechanism exists for P . **Examples:**
 - * Mechanism grants access if a certificate is delivered in future.
 - * Some non-trace properties (hyper-properties) like non-interference.
- ▶ EM-enforceable policies can be composed by running mechanisms in parallel.
- ▶ EM mechanisms can be implemented by automata.
 - * Büchi automata are automata on infinite words.
 - * A variant, **security automata**, accept safety properties.
These constitute a central security model.
 - * Topic of another talk!

Story so far...

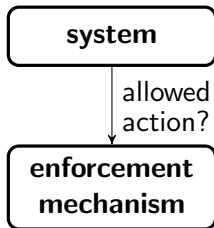
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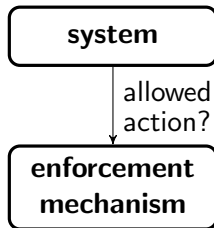
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Main Concerns

- ▶ enforceable policy $\xRightarrow{\quad}$ safety property
- ▶ match with reality?

Follow-Up Work

- ▶ *SASI enforcement of security policies*
Ú. Erlingsson and F. Schneider, NSPW'99
- ▶ *IRM enforcement of Java stack inspection*
Ú. Erlingsson and F. Schneider, S&P'00
- ▶ *Access control by tracking shallow execution history*
P. Fong, S&P'04
- ▶ *Edit automata: enforcement mechanisms for run-time security properties*
J. Ligatti, L. Bauer, and D. Walker, Int. J. Inf. Secur., 2005
- ▶ *Computability classes for enforcement mechanisms*
K. Hamlen, G. Morrisett, and F. Schneider, ACM Trans. Inf. Syst. Secur., 2006
- ▶ *Run-time enforcement of nonsafety policies*
J. Ligatti, L. Bauer, and D. Walker, ACM Trans. Inf. Syst. Secur., 2009
- ▶ *A theory of runtime enforcement, with results*
J. Ligatti and S. Reddy, ESORICS'10
- ▶ *Do you really mean what you actually enforced?*
N. Bielova and F. Massacci, Int. J. Inf. Secur., 2011
- ▶ *Runtime enforcement monitors: composition, synthesis and enforcement abilities*
Y. Falcone, L. Mounier, J.-C. Fernandez, and J.-L. Richier, Form. Methods Syst. Des., 2011
- ▶ *Service automata*
R. Gay, H. Mantel, and B. Sprick, FAST'11
- ▶ *Cost-aware runtime enforcement of security policies*
P. Drábik, F. Martinelli, and C. Morisset, STM'12
- ▶ ...



Match with reality ???

- ▶ A **login** must not happen within 3 seconds after a **fail**
- ▶ Each **request** must be followed by a **deliver** within 3 seconds

Both are safety properties.

Can we enforce both by preventing events causing policy violations from happening?

Some Auxiliary Definitions

- ▶ Σ^* and Σ^ω , are the finite and infinite sequences over alphabet Σ .
 $\Sigma^\infty := \Sigma^* \cup \Sigma^\omega$.
- ▶ For $\sigma \in \Sigma^\infty$, denote set of its **prefixes** by $\text{pre}(\sigma)$ and set of its **finite prefixes** by $\text{pre}_*(\sigma)$. I.e., $\text{pre}_*(\sigma) := \text{pre}(\sigma) \cap \Sigma^*$.
- ▶ The **truncation** of $L \subseteq \Sigma^*$ is the largest prefix-closed subset of L .

$$\text{trunc}(L) := \{\sigma \in \Sigma^* \mid \text{pre}(\sigma) \subseteq L\}$$

- ▶ Its **limit closure** contains both the sequences in L and the infinite sequences whose finite prefixes are all in L .

$$\text{limitclosure}(L) := L \cup \{\sigma \in \Sigma^\omega \mid \text{pre}_*(\sigma) \subseteq L\}$$

- ▶ For $L \subseteq \Sigma^*$ and $K \subseteq \Sigma^\infty$, their **concatenation** is defined by:

$$L \cdot K := \{\sigma\tau \in \Sigma^\infty \mid \sigma \in L \text{ and } \tau \in K\}$$

Refined Abstract Setting

Accounting For Controllability

Actions

Set of actions $\Sigma = \mathbf{O} \cup \mathbf{C}$:

- ▶ $\mathbf{O} = \{\text{observable actions}\}$
- ▶ $\mathbf{C} = \{\text{controllable actions}\}$

Traces

Trace universe $\mathbf{U} \subseteq \Sigma^\infty$:

- ▶ $\mathbf{U} \neq \emptyset$
- ▶ \mathbf{U} prefix-closed

Example: $\text{request} \cdot \text{tick} \cdot \text{deliver} \cdot \text{tick} \cdot \text{tick} \cdot \text{request} \cdot \text{deliver} \cdot \text{tick} \dots \in \mathbf{U}$

Refined Abstract Setting

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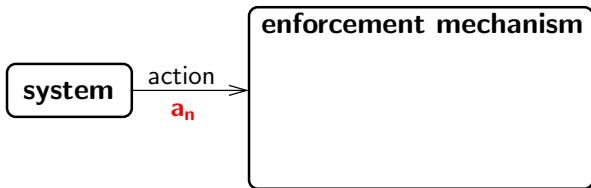
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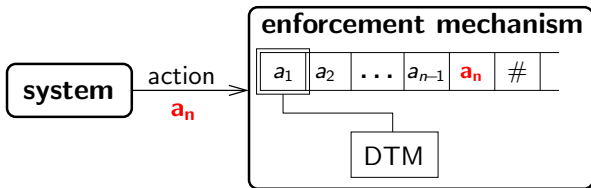
Requirements (on an Enforcement Mechanism)

- ▶ **Soundness**: prevents policy-violating traces
- ▶ **Transparency**: allows policy-compliant traces
- ▶ **Computability**: makes decisions

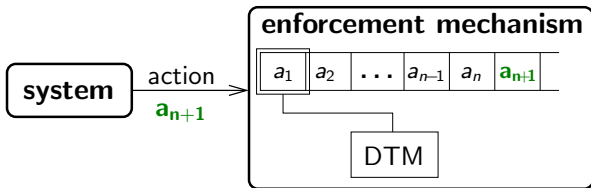
Formalization



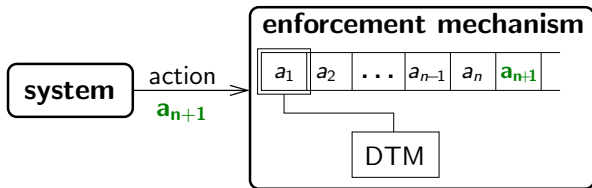
Formalization



Formalization



Formalization



Definition

$P \subseteq (\mathbf{O} \cup \mathbf{C})^\infty$ is **enforceable** in \mathbf{U} $\stackrel{\text{def}}{\iff}$ exists DTM \mathcal{M} with

1. $\varepsilon \in L(\mathcal{M})$
“ \mathcal{M} accepts the empty trace”
2. \mathcal{M} halts on inputs in $(\text{trunc}(L(\mathcal{M})) \cdot (\mathbf{O} \cup \mathbf{C})) \cap \mathbf{U}$
“ \mathcal{M} either permits or denies an intercepted action”
3. \mathcal{M} accepts inputs in $(\text{trunc}(L(\mathcal{M})) \cdot \mathbf{O}) \cap \mathbf{U}$
“ \mathcal{M} permits an intercepted observable action”
4. $\text{limitclosure}(\text{trunc}(L(\mathcal{M}))) \cap \mathbf{U} = P \cap \mathbf{U}$
“soundness (\subseteq) and transparency (\supseteq)”

Examples

Setting

- ▶ Controllable actions: $\mathbf{C} = \{\text{login}, \text{request}, \text{deliver}\}$
- ▶ Observable actions: $\mathbf{O} = \{\text{tick}, \text{fail}\}$
- ▶ Set of actions: $\Sigma = \mathbf{C} \cup \mathbf{O}$
- ▶ Trace universe: $\mathbf{U} = \Sigma^* \cup (\Sigma^* \cdot \{\text{tick}\})^\omega$

Policies

- P_1 . A **login** must not happen within 3 seconds after a **fail**
 \Rightarrow **enforceable** (TM stops inappropriate **login** events)
- P_2 . Each **request** must be followed by a **deliver** within 3 seconds
 \Rightarrow **not enforceable** (no TM can stop inappropriate **tick** events)

The Evolution of Safety



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- * Violations are finitely observable and irremedial.
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- ▶ T. Henzinger, 1992: A property $P \subseteq \Sigma^\omega$ is **safety in \mathbf{U}** $\subseteq \Sigma^\omega$

$$\forall \sigma \in \mathbf{U}. \sigma \notin P \rightarrow \exists i \in \mathbb{N}. \forall \tau \in \Sigma^\omega. \sigma^{<i} \cdot \tau \notin P \cap \mathbf{U}$$

Safety

(with Universe and Observables)

► Intuition

- * P is safety in \mathbf{U} and
- * Bad things are not caused by elements from \mathbf{O} .

► Formalization: A property $P \subseteq \Sigma^\infty$ is (\mathbf{U}, \mathbf{O}) -safety if

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- * Generalizes previous defs: $\mathbf{O} = \emptyset$ and Σ^ω and Σ^∞ are instances of \mathbf{U} .
- * As \mathbf{U} and \mathbf{O} become smaller it is more likely a trace set P is (\mathbf{U}, \mathbf{O}) -safety. (Indeed, for $\mathbf{U} = \emptyset$, P is always (\mathbf{U}, \mathbf{O}) -safety).

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► Liveness also generalizes to this setting

(“something good can happen in \mathbf{U} after actions not in \mathbf{O} ”)

Example

P_1 . A **login** must not happen within 3 seconds after a **fail**

P_2 . Each **request** must be followed by a **deliver** within 3 seconds

- ▶ P_1 is ∞ -safety.
 - * Any trace that violates P_1 has a prefix ending in **login** that violates P_1 .
 - * All extensions of this prefix still violate P_1 .
- ▶ P_2 is also ∞ -safety. Argument analogous with violations due to **tick**.
- ▶ But P_1 is (**U**, **O**)-safety & P_2 is not (**U**, **O**)-safety, for **O** = {**tick**, **fail**}
 - * P_1 violated by executing **login** \in **C**. No policy compliant extensions.
 - * For P_2 simply consider:

request · **tick** · **tick** · **tick** · **tick** ...

Safety and Enforceability

Theorem

Let P be a property and \mathbf{U} a trace universe with $\mathbf{U} \cap \Sigma^*$ decidable.

P is (\mathbf{U}, \mathbf{O}) -enforceable \iff

- (1) P is (\mathbf{U}, \mathbf{O}) -safety,
- (2) $\text{pre}_*(P \cap \mathbf{U})$ is a decidable set, and
- (3) $\varepsilon \in P$.

Proof uses characterization that

P is (\mathbf{U}, \mathbf{O}) -safety iff $\text{limitclosure}(\text{pre}_*(P \cap \mathbf{U}) \cdot \mathbf{O}^*) \cap \mathbf{U} \subseteq P$.

Schneider's "characterization:" only \implies for (1)
where $\mathbf{U} = \Sigma^\infty$ and $\mathbf{O} = \emptyset$

Realizability of Enforcement Mechanisms

Fundamental Algorithmic Problems

Given a specification of a policy.

- ▶ Is it enforceable?
- ▶ If yes, can we synthesize an enforcement mechanism for it?
- ▶ With what complexity can we do so?

Some Results

Deciding if P is (\mathbf{U}, \mathbf{O}) -enforceable when both \mathbf{U} and P are given as

- ▶ FSAs is **PSPACE-complete**.
- ▶ PDAs is **undecidable**.
- ▶ LTL formulas is **PSPACE-complete**.
- ▶ MLTL formulas is **EXPSPACE-complete**.

Checking Enforceability and Safety

(PDA and FSA)¹

Checking Enforceability

Let **U** and P be given as PDAs or FSAs \mathcal{A}_U and \mathcal{A}_P .

1. $\text{pre}_*(L(\mathcal{A}_P) \cap L(\mathcal{A}_U))$ is known to be decidable
2. check whether $\varepsilon \in L(\mathcal{A}_P)$
3. check whether $L(\mathcal{A}_P)$ is $(L(\mathcal{A}_U), \mathbf{O})$ -safety

Checking Safety

Let **U** and P be given as PDAs or FSAs \mathcal{A}_U and \mathcal{A}_P .

- ▶ PDAs: undecidable in general
- ▶ FSAs: generalization of standard techniques

¹Automata have 2 sets of accepting states, for finite and for infinite sequences.

Checking Enforceability and Safety

(LTL and MLTL)

Checking Enforceability

Let \mathbf{U} and P be given as LTL or MLTL formulas $\varphi_{\mathbf{U}}$ and φ_P .

1. $\text{pre}_*(L(\varphi_P) \cap L(\varphi_{\mathbf{U}}))$ is known to be decidable
2. check whether $\varepsilon \in L(\varphi_P)$
3. check whether $L(\varphi_P)$ is $(L(\varphi_{\mathbf{U}}), \mathbf{O})$ -safety

Checking Safety

Let \mathbf{U} and P be given as LTL or MLTL formulas $\varphi_{\mathbf{U}}$ and φ_P .

1. translate $\varphi_{\mathbf{U}}$ and φ_P into FSAs $\mathcal{A}_{\mathbf{U}}$ and \mathcal{A}_P
2. use the results of the previous slide on $\mathcal{A}_{\mathbf{U}}$ and \mathcal{A}_P
3. perform all these calculations on-the-fly



Beyond a Yes-No Answer



- ▶ If **yes** ...
 - synthesize an enforcement mechanism from \mathcal{A}_P and \mathcal{A}_U
(Do so by building FSA security automata for $\mathcal{A}_P \cap \mathcal{A}_U$.)
- ▶ If **no** ...
 - return a witness illustrating why P is not (U, O) -enforceable
(Construct trace in $U \setminus P$ with suffix in P (violating transparency)
or that would not be prevented (violating soundness).)
- ▶ If **no** ...
 - return the maximal trace universe V in which P is
 (V, O) -enforceable

Conclusion

Summary

- ▶ Formalization of enforceability in a refined abstract setting
- ▶ Characterization of enforceability
- ▶ Generalization of notion of safety (and liveness)
- ▶ Realizability problem for enforcement
- ▶ Interesting connections to control theory (Ramadge-Wonham Framework), not discussed here

Future Work

- ▶ Enforceability for other relevant specification languages
- ▶ Tool support for enforcement (PEP/PDP, code weaving, ...).
- ▶ How best to combine monitoring and enforcement

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