









Analyzing Test Completeness for Dynamic Languages

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joint work with Christoffer Quist Adamsen and Gianluca Mezzetti

Languages with dynamic or optional typing are popular!

-  **Dart**
-  **JavaScript** 
-  **Racket** Typed Racket
-  **python**TM Reticulated Python
-  **Ruby**
A Programmer's Best Friend DRuby
- 
- 
- ...

```

dynamic cross(dynamic x, dynamic y,
              [dynamic out=null]) {
  if (x is vec3 && y is vec3) {
    return x.cross(y, out);
  } else if (x is vec2 && y is vec2) {
    assert(out == null);
    return x.cross(y);
  } else if (x is num && y is vec2) {
    x = x.toDouble();
    if (out == null) {
      out = new vec2.zero();
    }
    ...
    return out;
  } else if (x is vec2 && y is num) {
    ...
  } else {
    assert(false);
  }
  return null;
}

```

overloaded – the behavior and return type depend on runtime types of parameters

return type is either `vec3`, `vec2`, `double`, or the type of `out`

assertion failure if unexpected combination of types

runtime type error if values have unexpected types

```

...
// solve the linear system
dp2perp = cross(dp2, normal);
dp1perp = cross(normal, dp1);
tangent = dp2perp * duv1.x + dp1perp * duv2.x;

```

(code from the Dart libraries `vector_math` and `box2d`)

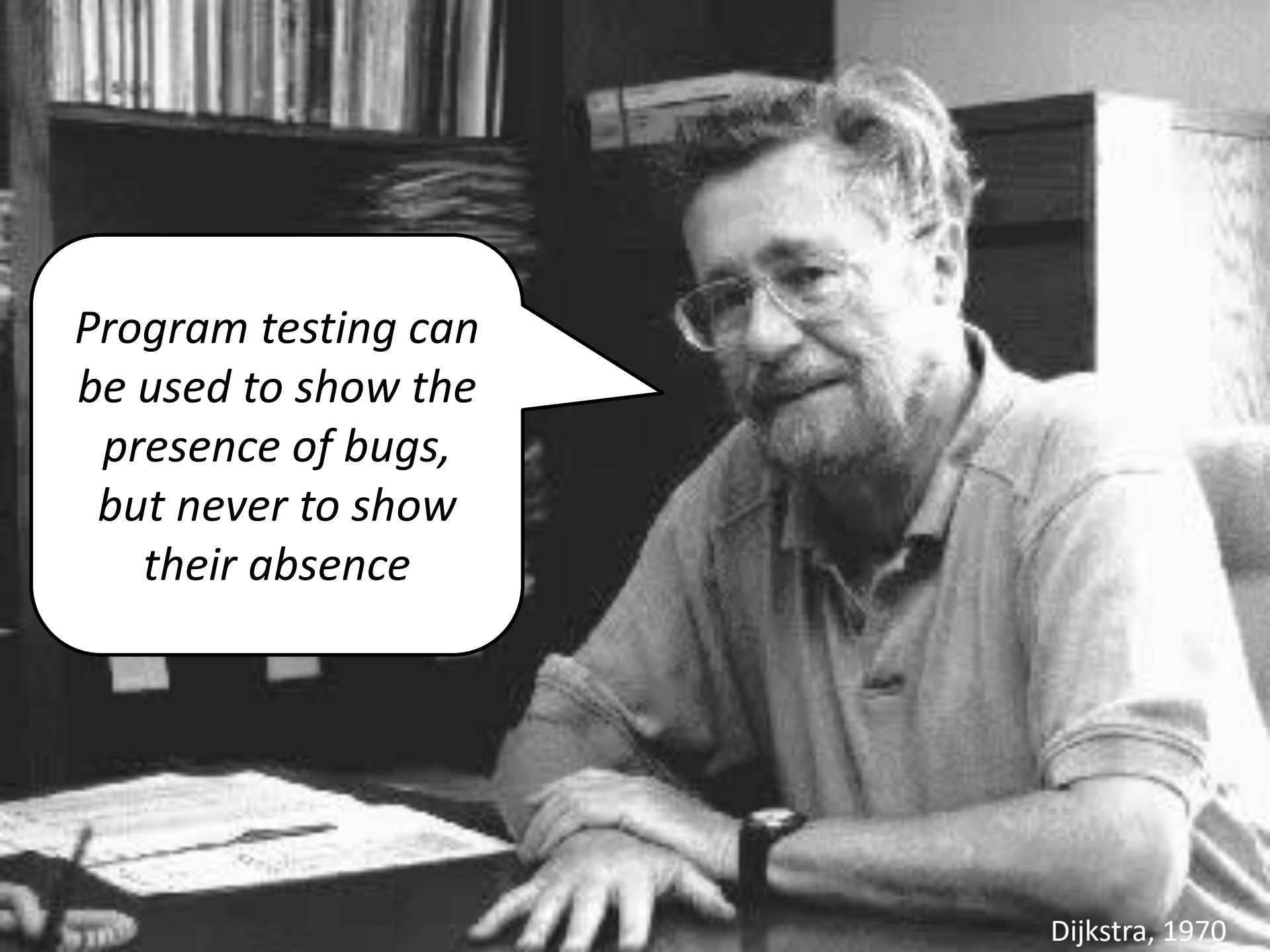
How to ensure absence of runtime type errors in dynamically typed languages?

static analysis?

common programming patterns require
very high analysis precision and/or **annotations**
(not practical)

examples:

- static determinacy analysis [Andreasen & Møller, OOPSLA 2014],
- refinement types [Vekris et al., ECOOP 2015]



*Program testing can
be used to show the
presence of bugs,
but never to show
their absence*

Dijkstra, 1970

TOWARD A THEORY OF TEST DATA SELECTION*

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Keywords and Phrases:

testing, proofs of correctness

Abstract

This paper examines the theoretical and practical role of testing in software development.

- What are the possible sources of failure in a program?
- What test data should be selected to demonstrate that failures do not arise from these sources?

properly structured tests are capable of demonstrating the absence of errors in a program. The

ability to show when a test is actually reliable. We explain what makes tests unreliable (for example, we show by example why testing all program statements, predicates, or paths is not usually sufficient to insure test reliability), and we outline a possible approach to developing reliable tests. We also show how the analysis required to define reliable tests can help in checking a program's design and specifications as well as in preventing and detecting implementation errors.

1. Introduction

The purpose of this paper is:

- to survey the current state of the art in testing

Therefore, succeeds only when a program contains no errors. In this paper, one of our goals is to define the characteristics of an ideal test in a way that gives insight into problems of testing. We begin with some basic definitions.

Consider a program F whose input domain is the set of data D . $F(d)$ denotes the result of executing F with input $d \in D$. $OUT(d, F(d))$ specifies the output requirement for F , i. e., $OUT(d, F(d))$ is true if and only if $F(d)$ is an acceptable result. We will write $OK(d)$ as an abbreviation for $OUT(d, F(d))$. Let T be a subset of D . T constitutes an ideal test if $OK(t)$ for all $t \in T$ implies $OK(d)$ for all $d \in D$, i. e., if from successful execution of a sample of T it can be concluded that the program is correct.

Test completeness

Many programs have manually written or auto-generated test suites

A test suite T is ***complete*** with respect to the type of an expression e if execution of T covers all possible types e may have at runtime

Example of test completeness

```
...  
x = new A();  
x.m();  
...
```

a single execution of this piece of code
suffices to cover all possible types
x may have at the call site

Deciding test completeness

How can we
(conservatively) decide
whether a given test suite T
is complete
with respect to the type of
an expression e ?



A hybrid approach

1) execute program test suite

2) lightweight static **dependence** analysis

3) lightweight static **type** analysis

type safety facts

4) test completeness analysis

test completeness facts

1) Execution of test suite

Simply observe which values and types appear at each expression...

(generally an *under*-approximation of which values and types may appear in *any* execution)

2) Static dependence analysis

```
class A {  
    m() { ... }  
}  
class B {}  
  
f(v) {  
    var t = 42;  
    var x = g(t, v);  
    x.m();  
}
```

```
g(a, b) {  
    var r;  
    ...  
    if (a*a > 100) {  
        r = new A();  
    } else {  
        r = new B();  
    }  
    return r;  
}
```

an overloaded function,
the **type** of **r**
depends (only) on
the **value** of **a**

the **type** of **x** depends on the **value** of **t**,
which depends on nothing (it's a constant)

- Over-approximates value and type dependencies
(considers both *data* and *control* dependence)
- **Lightweight** analysis: context- and path-insensitive

3) Static type analysis

```
bar(p) {  
  var y;  
  if (p) {  
    y = 3;  
  } else {  
    y = "hello";  
  }  
  if (p) {  
    print(y + 6);  
  } else {  
    print(y.length);  
  }  
}
```

from calls, **p** is always true or false

how to prove type safety here?


- 1) path-sensitive static analysis
- 2) cover all paths [An et al., POPL 2011]
- 3) cover all values of **p**,
exploiting lightweight static analyses:
– the type of **y** depends only on
the value of **p**

(example from An et al. , POPL 2011)

- Flow analysis to over-approximate types/values
 - also used to infer call graph for the dependence analysis
- **Lightweight** analysis: context- and path-insensitive

4) Test completeness analysis

Two ways to show that a test suite T is complete for the type of an expression e :

- T has covered all the possible types/values of e (according to the static type analysis)
- T is complete for all dependencies of e (according to the static dependence analysis)  recursive

Combine these rules into a proof system...

Boosting precision using *type filters*

1) execute program test suite

2) lightweight static **dependence** analysis

3) lightweight static **type** analysis

type safety facts

4) test completeness analysis

test completeness facts




Type filtering in action

```
class A {  
    m() { ... }  
}  
class B {}  
  
f(v) {  
    var t = 42;  
    var x = g(t, v);  
    x.m();  
}
```

```
g(a, b) {  
    var r;  
    ...  
    if (a*a > 100) {  
        r = new A();  
    } else {  
        r = new B();  
    }  
    return r;  
}
```

- First run of the type analysis infers that `x` has type `A` or `B`
- Second run can filter away `B`
and thereby prove type safety for `x.m()` 😊

Implementation: Goodenough

- finds out whether your test suite is *good enough*
- for the  **Dart** language
(developed by  and )
- tested on 27 programs with test suites

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Experiments

Research questions:

- Q1) *To what extent can this technique show **test completeness** for realistic programs and test suites?*
- Q2) *How important are the **test suites** for showing absence of runtime type errors?*
- Q3) *How important is the **dependence analysis**?*
- Q4) *In situations where test completeness is not shown, is the reason typically inadequate test coverage or inadequate precision of the static analysis components?*

Experiments

Research questions:

Q1) *To what extent can this technique show **test completeness** for realistic programs and test suites?*

Q2) *How*
of run

Q3) *How*

Q4) *In sit*
is the

For (at least) **81%** of the expressions, all types that can possibly appear at runtime are observed by execution of the test suite

absence

own,
le

or inadequate precision of the static analysis components?

Experiments

Research questions:

Q1) *To what extent can this technique show **test completeness** for realistic programs and test suites?*

Q2) *How important are the **test suites** for showing absence of runtime type errors?*

Q3) *How in*

Q4) *In situ
is the
or inac*

Incorporating the test suites leads to improvements in 19 out of 27 benchmarks (in code with value-dependent types and branch correlations)

nts?

Experiments

Research questions

- Q1) *To what extent does the ability to prove absence of type errors and precision of inferred call graphs drops significantly if using a weaker dependence analysis*
- Q2) *How important is the dependence analysis for runtime performance?*
- Q3) *How important is the **dependence analysis**?*
- Q4) *In situations where test completeness is not shown, is the reason typically inadequate test coverage or inadequate precision of the static analysis components?*

Experiments

Research questions:

Q1) *To what extent is the reason for*

Q2) *How much of the reason*

Q3) *How much of the reason*

Typical reasons:

- inadequate test coverage
- imprecise heap modeling in dependence analysis

Q4) *In situations where test completeness is not shown, is the reason typically inadequate test coverage or inadequate precision of the static analysis components?*

Conclusion

- Hybrid static/dynamic analysis can show absence of type errors (and infer sound call graphs) in Dart code that is challenging for fully-static analysis
- Future work:
 - explore variations of the static analysis components
 - apply to program optimization, and to other languages
 - use test completeness as coverage metric for guiding test effort

*Program testing
can sometimes
show the absence
of errors*



Goodenough, 1975