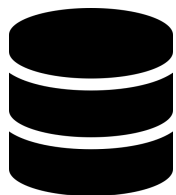


DP-Sniper: Black-Box Discovery of Differential Privacy Violations using Classifiers

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Differential Privacy - Intuition

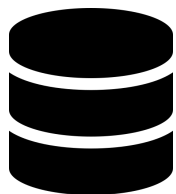


#patients with disease



Floating-point vulnerability

Mironov, I. On significance of the least significant bits for differential privacy. CCS'12



#patients with disease +



```
import numpy as np
epsilon = 0.1
```

```
def laplace_mechanism(n_with_disease):
    noise = np.random.laplace(scale=1/epsilon)
    return n_with_disease + noise
```



Detecting Floating-Point Vulnerabilities

```
import numpy as np  
epsilon = 0.1
```

```
def laplace_mechanism(n_with_disease):  
    noise = np.random.laplace(scale=1/epsilon)  
    return n_with_disease + noise
```



Existing DP verifiers



Existing DP testers

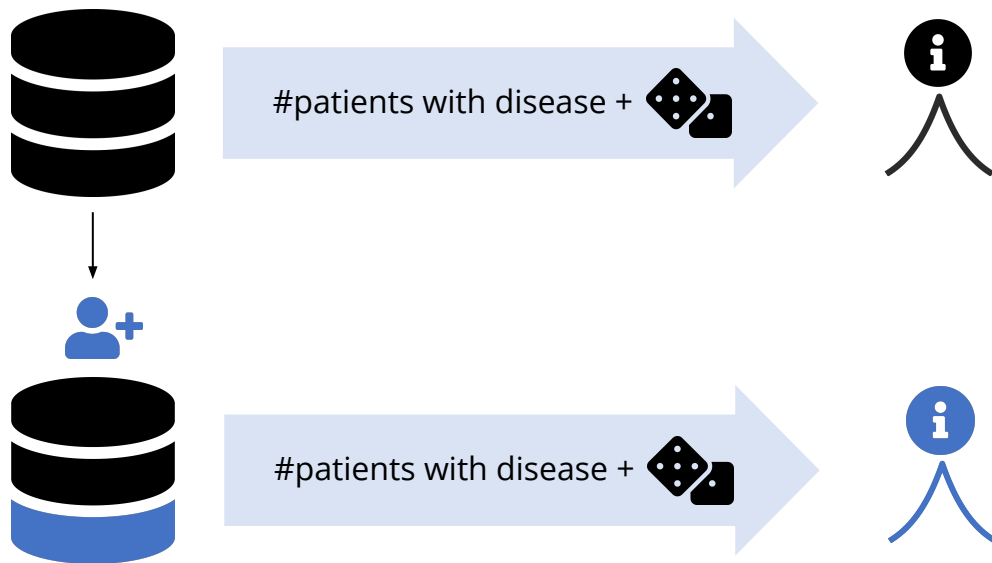


DP-Sniper (this work)



Not restricted to floating-point
Also covers other vulnerabilities

Differential Privacy



Differential Privacy



$$\Pr[M(\blacksquare) \in S] \approx \Pr[M(\blacksquare) \in S]$$

Mechanism

Attack

Differential Privacy

M is ϵ differentially private (ϵ -DP)

For all $(a, a') \in \mathcal{N}$ and for every attack S :

$$\ln(\Pr[M(a) \in S]) - \ln(\Pr[M(a') \in S]) \leq \epsilon$$

M is ξ differentially distinguishable (ξ -DD)

There exist $(a, a') \in \mathcal{N}$ and an attack S with:

$$\ln(\Pr[M(a) \in S]) - \ln(\Pr[M(a') \in S]) \geq \xi$$

Search Problem



Challenging

Needed for floating-point attack

$$\max_{(a, a') \in \mathcal{N}} \max_S \ln(\Pr[M(a) \in S]) - \ln(\Pr[M(a') \in S])$$

✓ Exhaustive

✓ Sampling

✓ Heuristics

Ding, Z., Wang, Y., Wang, G., Zhang, D. & Kifer, D.
Detecting Violations of Differential Privacy.
CCS'18

Finding an optimal attack





Target a small constant



Cannot quantify tiny probabilities accurately

$$\max_S \ln(\Pr[M(a) \in S]) - \ln(\Pr[M(a') \in S])$$



$b \in S \iff \Pr[A = a \mid M(A) = b]$ is high (cp. Neyman-Pearson)



Train a classifier
Generate training data automatically

DP-Sniper Overview

1



Train a classifier for

$$\Pr[A = a \mid M(A) = b]$$

Evaluation: Neural networks
and logistic regression

2



Transform classifier to attack

$$\begin{aligned} b \in S \\ \iff \\ \Pr[A = a \mid M(A) = b] \geq t \end{aligned}$$

3

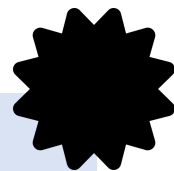


Select t such that

$$\Pr[M(a') \in S] = c$$

Guarantees

Quantified mathematically



Theorem (informal): DP-Sniper finds an approximately optimal attack.

Assumptions

- Cannot estimate tiny probabilities
- The learned classifier is perfect

Degrades gracefully

Related Work

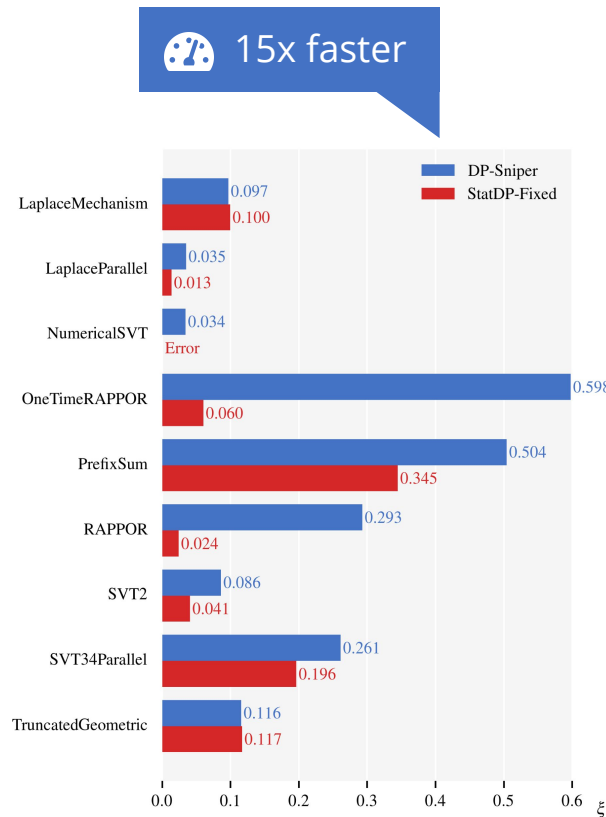
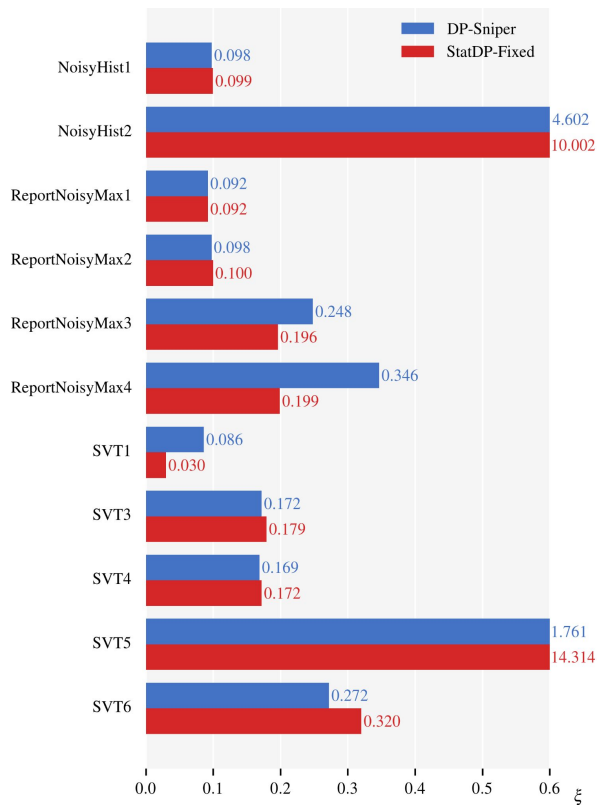
Tool	Black-box sufficient
T_{priv}	
StatDP	✓
DP-Finder	
DiPC	⚡ Only 1D outputs
DP-Stochastic-Tester	✓
CheckDP	
This work: DP-Sniper	✓

⚡ Black-box approaches
are more convenient
And use floating-point arithmetic

```
import numpy as np
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    return n_with_disease + noise
```

Evaluation



Summary

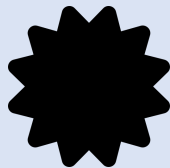


New approach to discover DD



Code available

<https://github.com/eth-sri/dp-sniper>



Optimality guarantees

```
import numpy as np  
epsilon = 0.1
```

```
def laplace_mechanism(n_with_disease):  
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